

Answers to MEEG 2003 Sample Test Id

1.

(a) $\mathbf{M}_A = 210\mathbf{i} + 180\mathbf{j} + 60\mathbf{k}$ N·m

(b) $M_{AB} = 40$ N·m

(c) Since $M_{AB} > 0$, the action of \mathbf{F} tends to *loosen* the joint at A.

(d) $d_{s1} = 4.72$ m

(e) $d_{s2} = 1.061$ m

2.

(a) $L = 21.6$ in.

(b) $P = 176$ lb

3.

A. (e)

B. (c)

C. (f)

D. (g)

4.

A. (a) In terms of pound-mass (lbm), 1 lb is defined to be the weight of 1 lbm, where the gravitational acceleration is 9.80665 m/s^2 ; i.e., $1 \text{ lb} = 1 \text{ lbm} (9.80665 \text{ m/s}^2)$. (b) In terms of kilogram, $1 \text{ lbm} = 0.45359237 \text{ kg}$.

B. **Newton's third law** states that every action is matched by a reaction, and action and reaction are collinear, opposite in direction, and equal in magnitude.

C. (You need to draw a **sketch**.) In the formula $\mathbf{M}_P = \mathbf{r} \times \mathbf{F}$ for computing the moment \mathbf{M}_P about point P , the vector \mathbf{r} is a displacement vector from the moment center P to any (convenient) point (e.g., point A) on the line of action of \mathbf{F} .

D. (You need to draw a **sketch**.) In the formula $M_{BC} = \lambda_{BC} \cdot (\mathbf{r} \times \mathbf{F})$ for computing the moment M_{BC} about axis BC of a force \mathbf{F} acting at point A, the vector λ_{BC} is a unit vector pointing from point B toward point C on the axis BC , while the vector \mathbf{r} is a displacement vector from any (convenient) point (e.g., point B) on the axis BC to any (convenient) point (e.g., point A) on the line of action of \mathbf{F} .